

Final Answer For 
$$1$$
  $\frac{P_A}{P_B} = \frac{1}{k_B \cdot T} \left[ \frac{E_A - E_B}{k_B \cdot T} \right]$ 
dsorption sites that are denoted by letters

(1) Consider an adsorbate system that has two possible adsorption sites that are denoted by letters A and B. Furthermore, it is known that the energy of the gas molecule that is adsorbed at site A is  $E_A$  and it is  $E_B$  for a gas molecule that is adsorbed at site B. State the ratio of the probability of observing the gas molecule at site A to the probability of observing the gas molecule at site B i.e., the value of the ratio  $\frac{P_A}{P_B}$ .

 $P_{j} = \frac{W(m)}{\sum_{e \in K_{BT}} \frac{E_{i}}{K_{BT}}} \frac{B}{\sum_{e \in K_{BT}} \frac{W(m)}{\sum_{e \in K_{BT}} \frac{E_{i}}{K_{BT}}} \frac{W(m)}{\sum_{e \in K_{BT}} \frac{W(m)}{\sum_{e \in K_{BT}} \frac{E_{i}}{K_{BT}}} \frac{P_{A}}{P_{B}}$ 

MA + MB = M (Total absorbtion Sites) MA: Adsorbtion site for gas A (Number of) Ma: Adsorbtion Site for gas

mp: Adsorbtion Site for gas

B (Number of

(m) The number of ways we can array gas A & B in absorbtion sites A & B  $\frac{P_A}{P_B} = \begin{bmatrix} e & E_A & -E_B \\ e & K_BT & E_B \end{bmatrix} \cdot \begin{bmatrix} e & E_A & -E_B \\ e & K_BT & E_B \end{bmatrix}$ 

